



## Relationship between damage and permeability in linerless composite vessels

Hortense LAEUFFER<sup>1,2</sup>, Brice GUIOT<sup>2</sup>, Jean-Christophe WAHL<sup>2</sup>,  
Florian LAVELLE<sup>1</sup>, Nicolas PERRY<sup>3</sup>, Christophe BOIS<sup>2</sup>

I2M : Institut de Mécanique et d'Ingénierie  
département Ingénierie Mécanique et Conception

07/07/2016

<sup>1</sup> CNES, Direction des LAnceurs (DLA), Paris, France

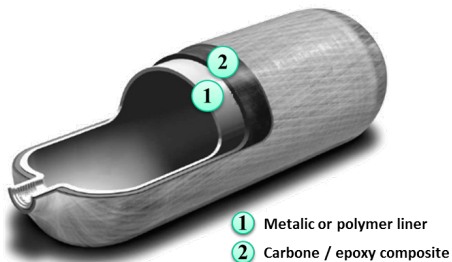
<sup>2</sup> Univ. Bordeaux, I2M, UMR 5295, Talence, France

<sup>3</sup> Arts et Metiers ParisTech, I2M, UMR 5295, Talence, France

# Introduction

*Industrial goal :*

- reduce the weight of launcher structures
- design **linerless composite vessels** for propellant storage



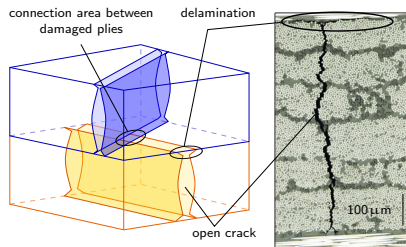
Filament-wound vessel of type 3 [Onder 2007]

*Requirement :*

- gas toughness of the composite wall

# Introduction

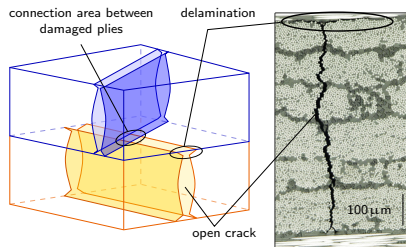
*Issue* : damage initiates for low levels of thermo-mechanical loading with little effect on mechanical properties



- 1 transverse cracking
- 2 delamination at crack tips

# Introduction

*Issue* : damage initiates for low levels of thermo-mechanical loading with little effect on mechanical properties

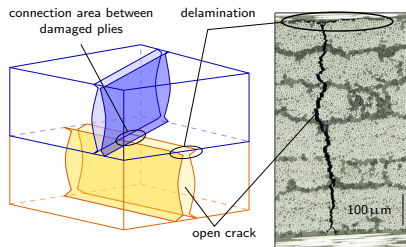


- 1 transverse cracking
- 2 delamination at crack tips
- 3 connection of cracks

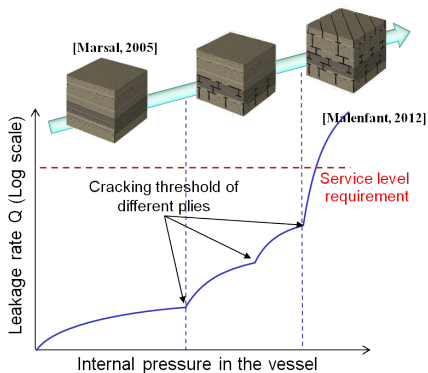


# Introduction

*Issue* : damage initiates for low levels of thermo-mechanical loading with little effect on mechanical properties

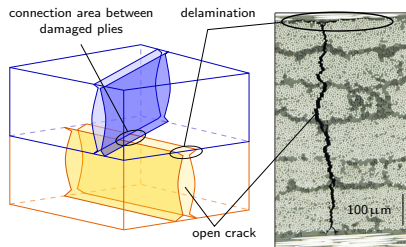


- ① transverse cracking
- ② delamination at crack tips
- ③ connection of cracks
- ④ network  $\Rightarrow$  leakage



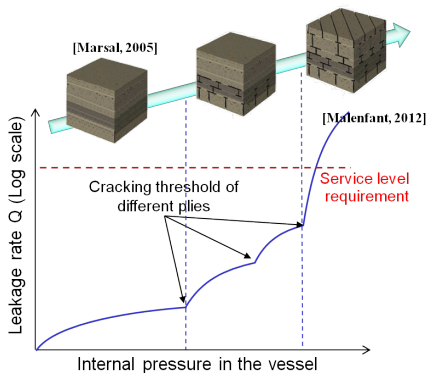
# Introduction

*Issue* : damage initiates for low levels of thermo-mechanical loading with little effect on mechanical properties



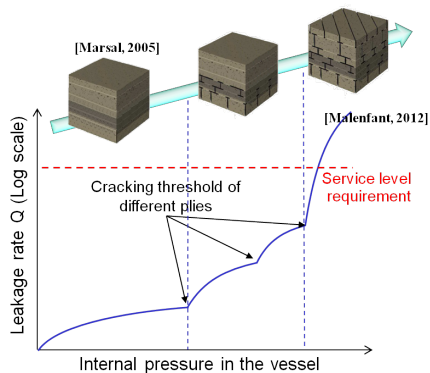
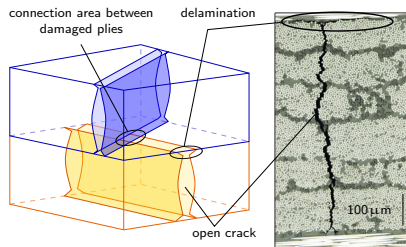
- ① transverse cracking
- ② delamination at crack tips
- ③ connection of cracks
- ④ network  $\Rightarrow$  leakage

$\rightarrow$  need of two **design criteria** : **strength** + **permeability**



# Introduction

*Issue* : damage initiates for low levels of thermo-mechanical loading with little effect on mechanical properties



*Aim of the study* :

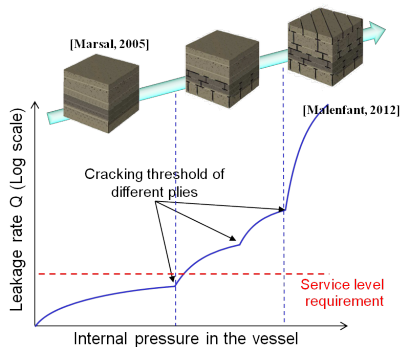
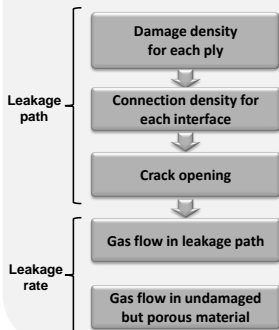
- understand **crack networks creation**
- **predict damage state** and permeability of a linerless composite vessel

- 1 Methodology
- 2 Damage characterization
- 3 Damage modelling
- 4 Connection of cracks

- 1 Methodology
- 2 Damage characterization
- 3 Damage modelling
- 4 Connection of cracks

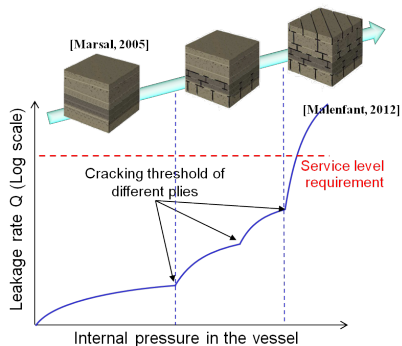
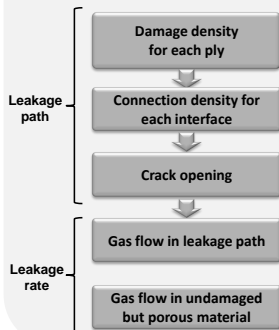
# Methodology

## Predictive meso-scale model



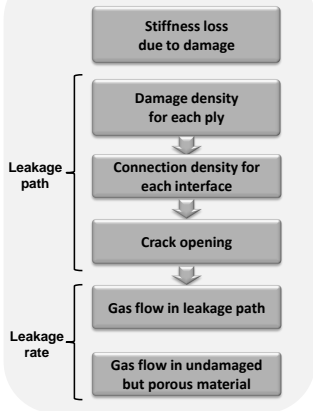
# Methodology

## Predictive meso-scale model



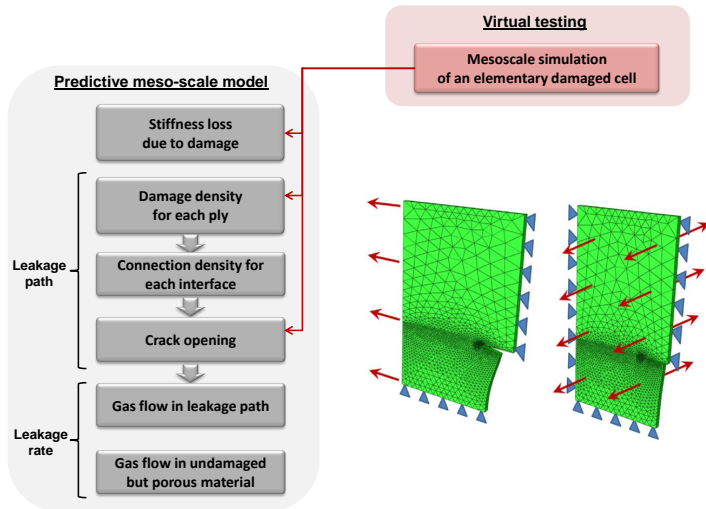
# Methodology

## Predictive meso-scale model

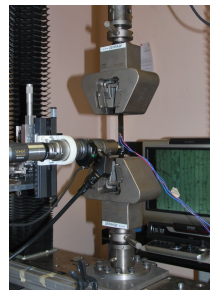
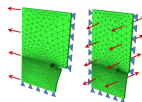
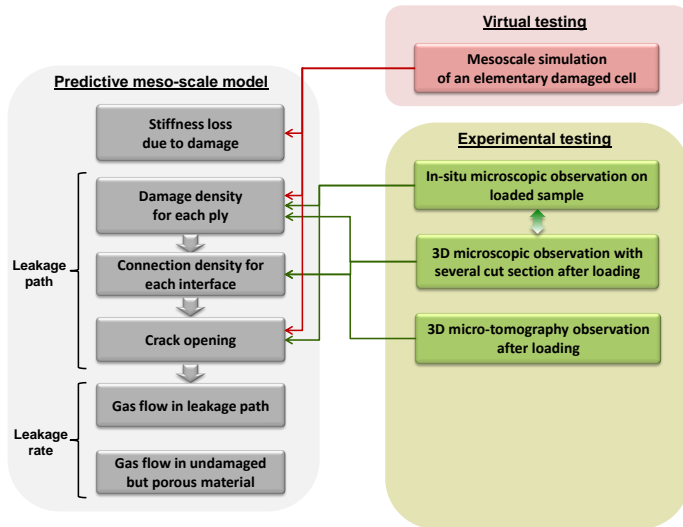




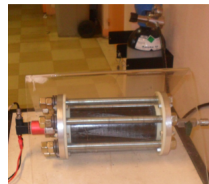
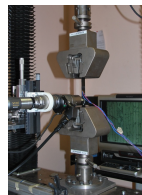
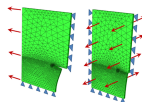
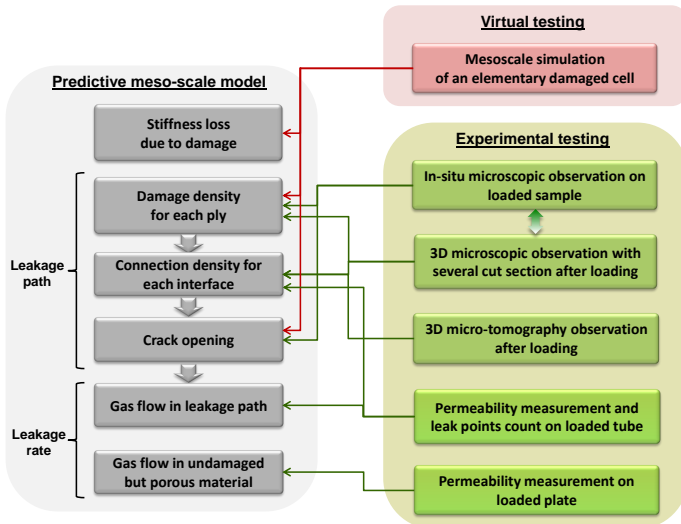
# Methodology



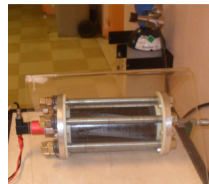
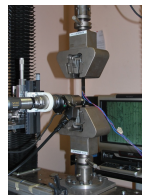
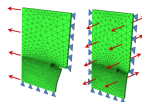
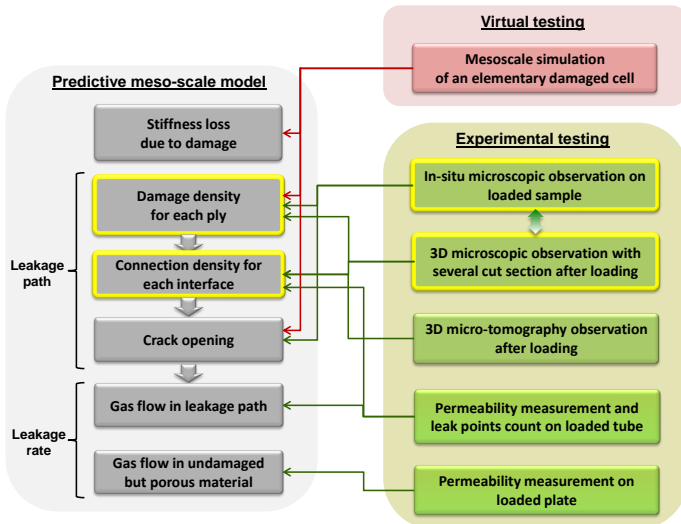
# Methodology



# Methodology



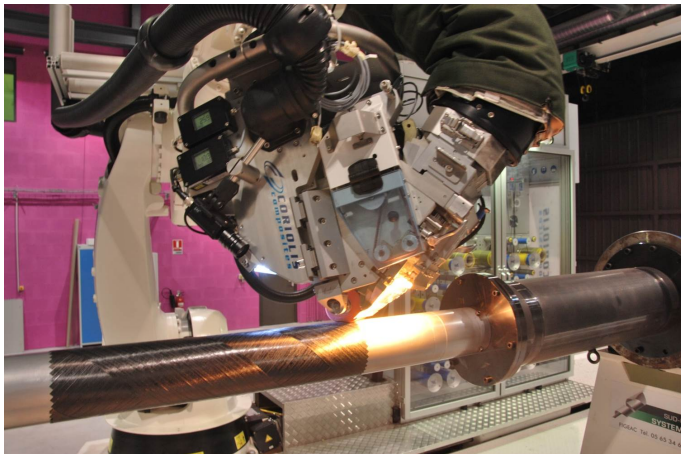
# Methodology



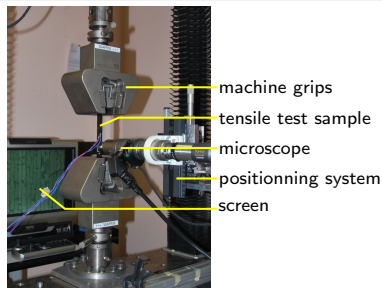
- 1 Methodology
- 2 Damage characterization
  - Material of the study
  - Method
  - Results
- 3 Damage modelling
- 4 Connection of cracks

# Material of the study

- Specimens : pipes and plates
- Process : Automated Fibre Placement
- Matrix and fibre : M21 T700
- Autoclave curing



# Damage description and observation



## In-situ microscopy

- tensile test specimen polished on the edge
- microscope travelling
- whole length : about **100 mm**
- several loading steps
- several lay-ups for mode I and II

Figure – Damage observation on the edge of a tensile test specimen under loading

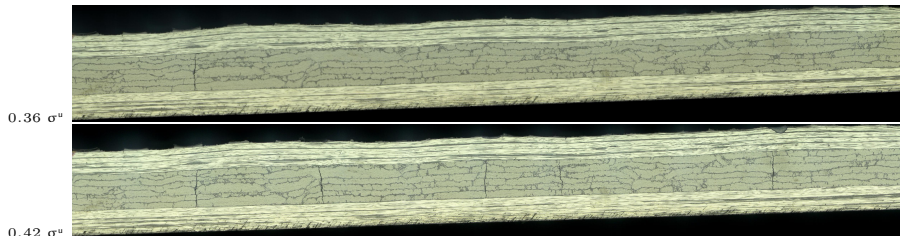


Figure – observed length on the micrograph : 15 mm, thickness : 1.8 mm, lay up : [0/0/90/90/90/0/0],  $\sigma^u$  = ultimate stress

# Damage description and observation : results

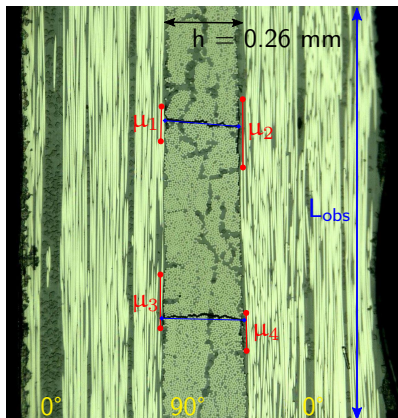


Figure – Damage measurement

## Measure

- transverse cracks :  
→ number, position, opening
- delamination → length

- crack density :  $\rho = \frac{N_{cracks}}{L_{obs}}$
- delamination length :  $\mu$



# Damage description and observation : results

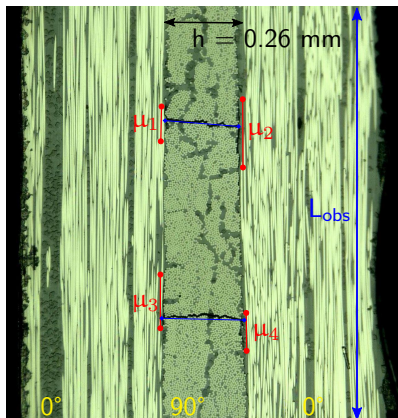


Figure – Damage measurement

- crack density :  $\rho = \frac{N_{cracks}}{L_{obs}}$
- delamination length :  $\mu$

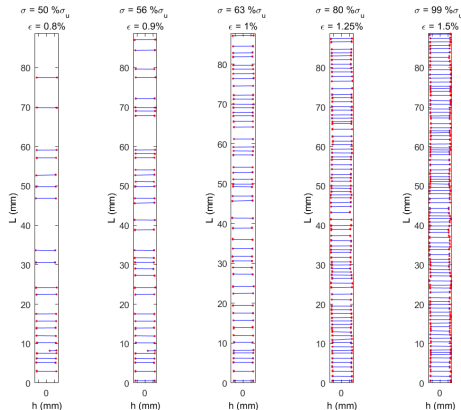


Figure – Position of cracks observed on the edge for 5 loading levels  $[0_2/90_2/0_2]$ (width not to scale)

# Damage description and observation : results

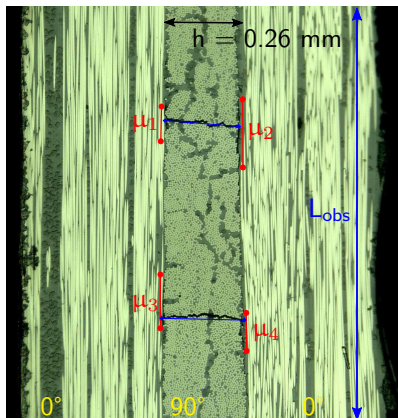
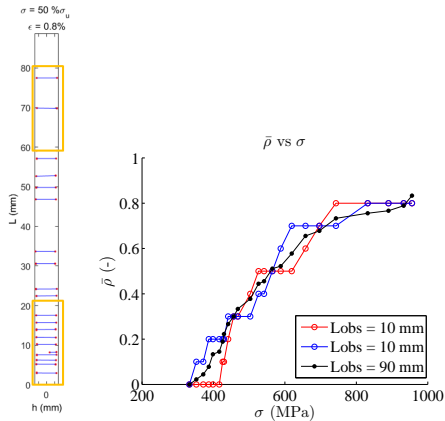


Figure – Damage measurement

- crack density :  $\rho = \frac{N_{cracks}}{L_{obs}}$
- delamination length :  $\mu$



- variability / observed area
  - slow increase at the beginning only for a large enough (representative) area
- important for permeability prediction

# Damage description and observation : results

## Evolution of damage densities

- $\bar{\rho} = \rho h$
- $\bar{\mu} = \mu \rho$

## Results for 90° plies of different ply-thickness

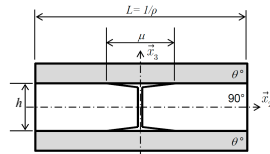


Figure – Representative Volume Element

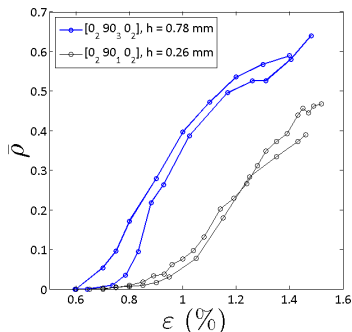


Figure – Crack rate  $\bar{\rho}$

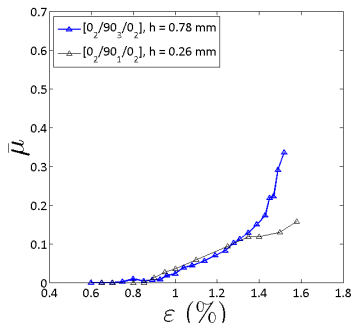
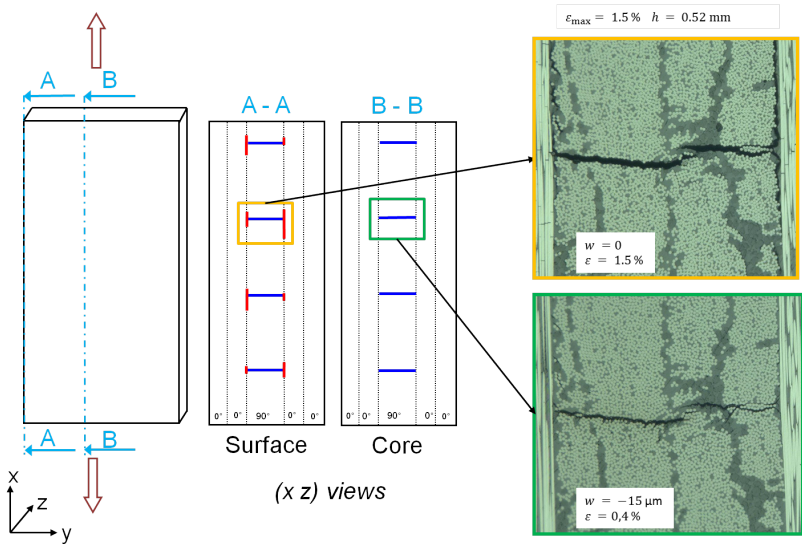
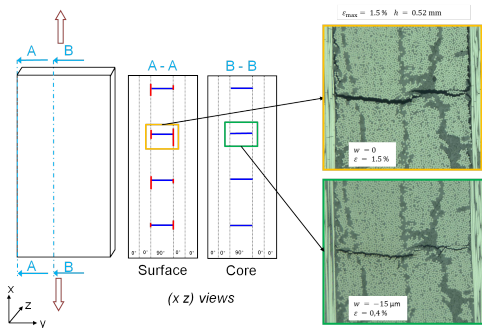


Figure – Delamination rate at the surface  $\bar{\mu}$

Cross-section examinations through the width :  $[0_2/90_n/0_2]$



# Cross-section examinations through the width : $[0_2/90_n/0_2]$



→ almost no delamination in bulk due to stiffened matrix (M21)

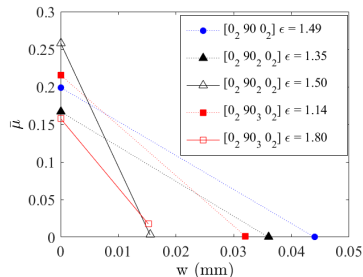
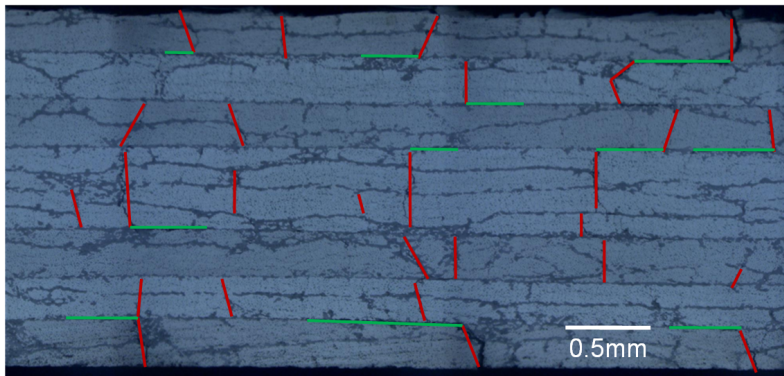


Figure – Micro-delamination length according to polishing depth

# Cross-section examinations through the width : [+45/-45/+45/-45]<sub>s</sub>

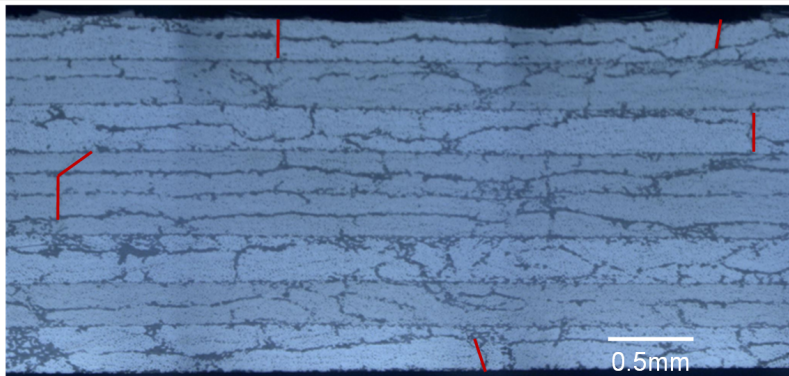


- Transverse crack
- Micro-delamination

$$\varepsilon = 4\%$$

polishing depth = 0 mm

# Cross-section examinations through the width : [+45/-45/+45/-45]<sub>s</sub>

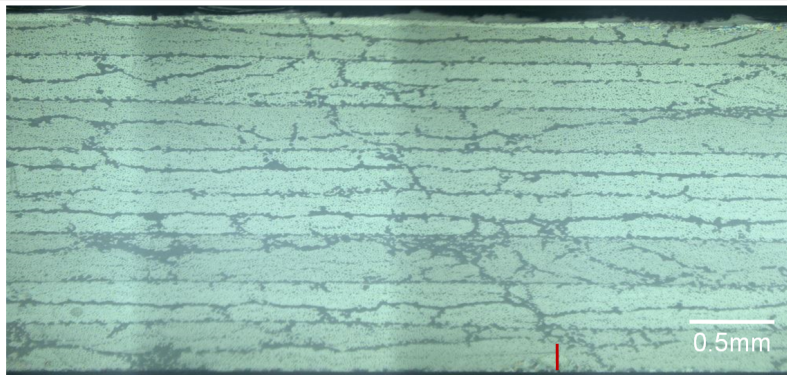


— Transverse crack

$$\varepsilon = 4\%$$

polishing depth = 1.4 mm

# Cross-section examinations through the width : [+45/-45/+45/-45]<sub>s</sub>



— Transverse crack

polishing depth = 2.7 mm

- damage at the surface
- but no transverse crack in the bulk for  $\varepsilon = 4\%$
- shear load produces other non reversible phenomena (diffuse damage)



- 1 Methodology
- 2 Damage characterization
- 3 Damage modelling
  - Approach based on energy release rates
  - Results
  - Variability
- 4 Connection of cracks

# Damage model based on energy release rates

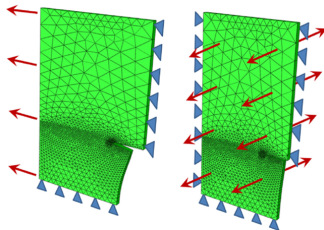
Damaged elastic behaviour :

- stiffness loss

$$\underline{\underline{S}} = \underline{\underline{S}}^0 + \Delta \underline{\underline{S}}(\bar{\rho}, \bar{\mu})$$

→  $\Delta \underline{\underline{S}}(\bar{\rho}, \bar{\mu})$  identified by [Huchette, 2005]  
in a polynomial form

←  
virtual testing



# Damage model based on energy release rates

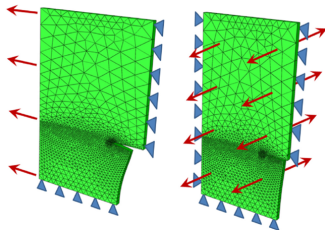
Damaged elastic behaviour :

- stiffness loss

$$\underline{\underline{S}} = \underline{\underline{S}}^0 + \Delta \underline{\underline{S}}(\bar{\rho}, \bar{\mu})$$

→  $\Delta \underline{\underline{S}}(\bar{\rho}, \bar{\mu})$  identified by [Huchette, 2005]  
in a polynomial form

←  
virtual testing

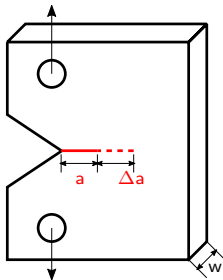


Damage evolution laws :

- elastic energy stored in the structure

$$\begin{aligned} W_e &= \frac{1}{2} \underline{\underline{\sigma}} : \underline{\underline{S}} : \underline{\underline{\sigma}} \\ &= \frac{1}{2} \underline{\underline{\sigma}} : (\underline{\underline{S}}^0 + \Delta \underline{\underline{S}}(\bar{\rho}, \bar{\mu})) : \underline{\underline{\sigma}} \end{aligned}$$

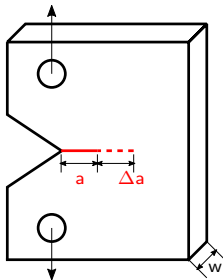
# Damage model based on energy release rates



Propagation energy (Griffith) :

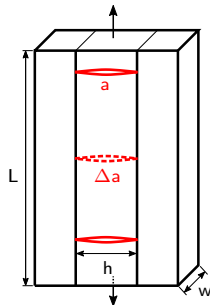
- available elastic energy
- vs energy released by fracture
- $\Delta W_e = G \cdot \Delta a \cdot w$

# Damage model based on energy release rates



Propagation energy (Griffith) :

- available elastic energy
  - vs energy released by fracture
- $\Delta W_e = G \cdot \Delta a \cdot w$



For transverse cracks :

$$\begin{aligned} \Delta W_e &= G \cdot \Delta a \cdot w \quad \text{with } \Delta a = whL\Delta\rho \\ \rightarrow \frac{\Delta a \cdot w}{V} &= \frac{whL\Delta\rho}{whL} = \frac{\Delta\bar{\rho}}{h} \\ \rightarrow y_{\bar{\rho}} &= \frac{\Delta W_e}{V\Delta\rho} = \frac{G_{\rho}}{h} \end{aligned}$$

For delamination : evolution law built on the same scheme

# Damage model based on energy release rates

Results for simple (black) and triple plies (blue)  
 $[0_2/90_n/0_2]$

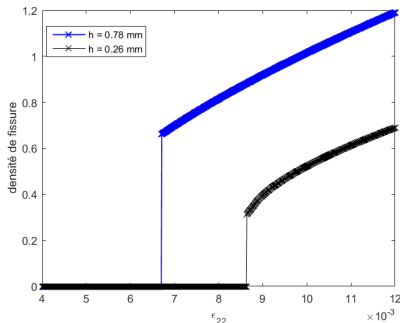


Figure – Transverse crack density

- unstable onset of cracking
- no progressiveness
- no delamination with experimental value of  $G_\mu$
- consistent with cross section examinations

# Damage model based on energy release rates

Variability of damage thresholds :

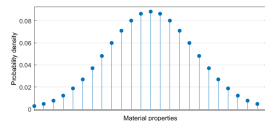


Figure – Probability density applied to damage thresholds

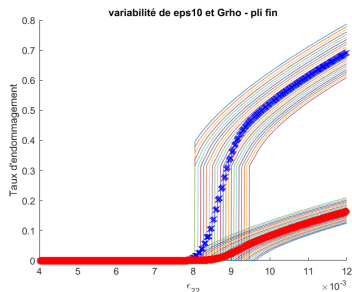


Figure – Damage density in simple ply

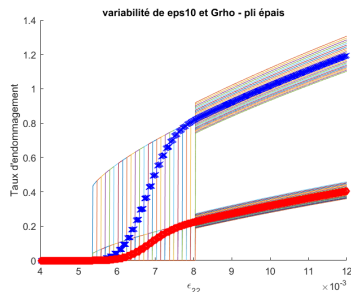
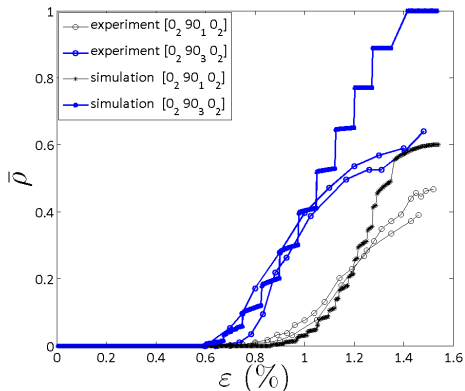


Figure – Damage density in triple ply

# Model vs experiments



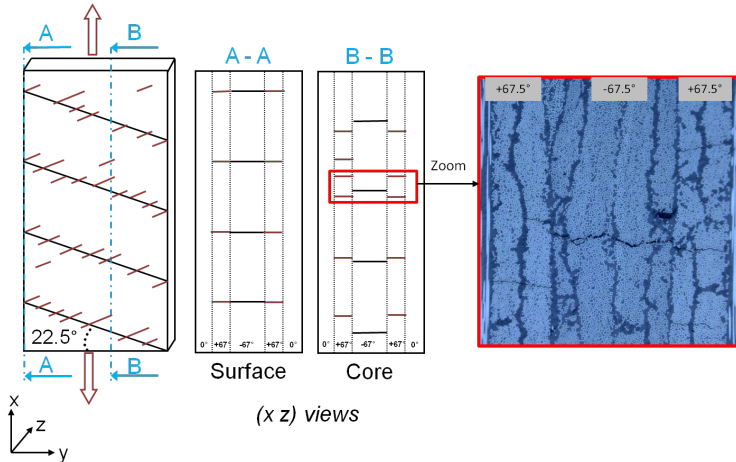
- main trends are reproduced
- parameters will be identified on wider experimental results

Figure – Crack rate for two ply-thickness



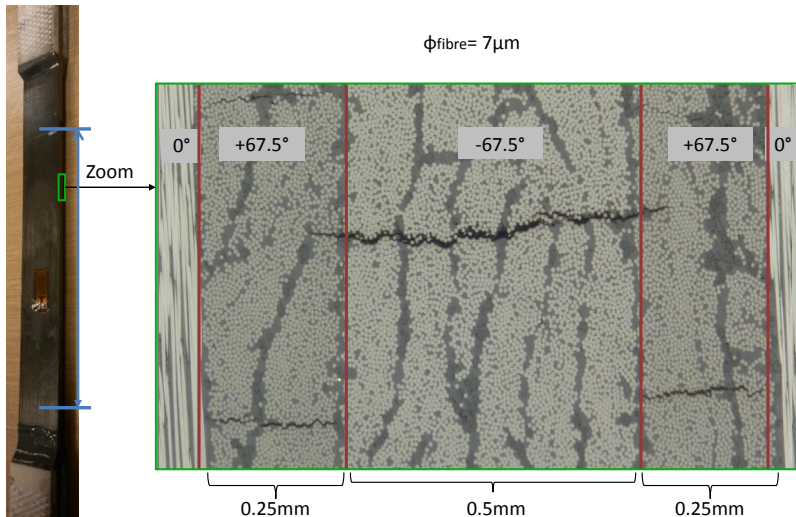
- 1 Methodology
- 2 Damage characterization
- 3 Damage modelling
- 4 Connection of cracks**

# Cross section examinations on $[0/+67.5/-67.5]_s$

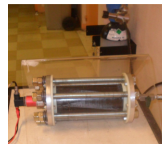
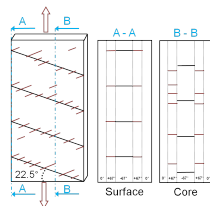
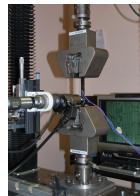
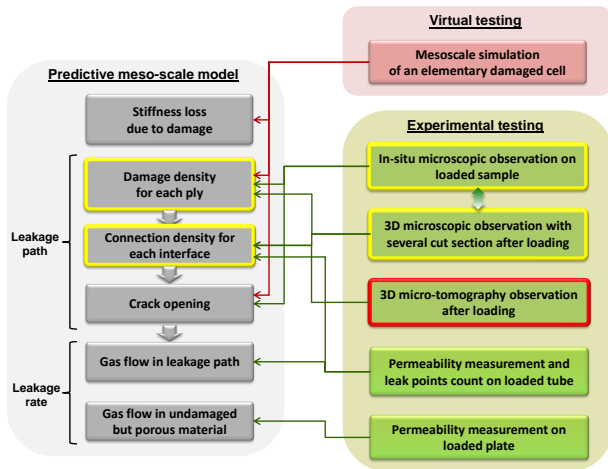


- cracks occur first in double ply ( $-67.5^\circ$ )
- cracks of the simple plies start from cracks of the adjacent ply

# Cross section examinations on $[0/+67.5/-67.5]_s$



# Synthesis and conclusion



# Thank you ! Any question ?

- 1 Methodology
- 2 Damage characterization
  - Material of the study
  - Method
  - Results
- 3 Damage modelling
  - Approach based on energy release rates
  - Results
  - Variability
- 4 Connection of cracks



Bois, C., Malenfant, J.-C., Wahl, J.-C., and Danis, M. (2014).

A multiscale damage and crack opening model for the prediction of flow path in laminated composite.  
*Composites Science and Technology*, 97 :81–89.



Huchette, C. (2005).

*Sur la complémentarité des approches expérimentales et numériques pour la modélisation des mécanismes d'endommagement des composites stratifiés.*

Phd thesis, Université Paris 6, France.

# Validation : damage-induced permeability

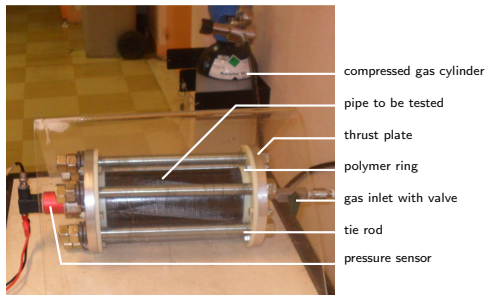


Figure – Device for pressurization and permeability measurement of pipes

## Procedure

- ❶ setting of the initial pressure
- ❷ closing of the device : pressure decay measurement
- permeability computation
- ❸ localization of leak paths
- ❹ return to step 1
  - lower pressure : closing of the existent cracks
  - higher pressure : creation of new cracks

## Permeability (from Darcy's law)

$$k = \frac{2\mu_{gas}bV}{S(p_{ext}^2 - p_{int}^2)} \frac{dp_{int}}{dt}$$

with  $b$  the thickness,  $V$  the internal gas volume,  $S$  the external pipe area,  $p_{ext}$  and  $p_{int}$  external and internal pressure, and  $(dp_{int})/dt$  the variation of the internal pressure over time.